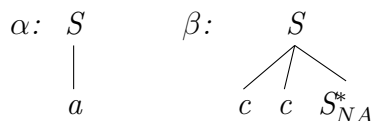


Parsing Beyond CFG

Homework 4: TAG parsing

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Question 1 Consider a TAG with only the following two trees:



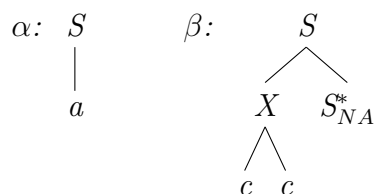
1. Give the CYK trace (only successful items) for the input $w = cca$, using the algorithm with dotted productions.

Write nodes as pairs $\langle \gamma, p \rangle$ where $\gamma \in \{\alpha, \beta\}$ and p is the address of a node in γ .

The trace should list the items together with information about the rule that has been applied and the antecedent items:

| id | item | operation, antecedents |
|-----|---|------------------------|
| 1 | $[\langle \alpha, \varepsilon \rangle \rightarrow \bullet \langle \alpha, 1 \rangle, 2, -, -, 2]$ | axiom |
| 2 | $[\langle \beta, \varepsilon \rangle \rightarrow \bullet \langle \beta, 1 \rangle \langle \beta, 2 \rangle \langle \beta, 3 \rangle, 0, -, -, 0]$ | axiom |
| 3 | $[\langle \alpha, \varepsilon \rangle \rightarrow \langle \alpha, 1 \rangle \bullet, 2, -, -, 3]$ | lex-scan 1 |
| ... | | |

2. For the binary CYK, we first have to binarize the elementary trees. Assuming that we do a left to right binarization, this leads to



Where X is a new non-terminal. De-binarization then only consists of removing all nodes with label X .

Give the CYK trace (only successful items) for the input $w = cca$, using the binary CYK algorithm.

The trace should list the items together with information about the rule that has been applied and the antecedent items:

| id | item | operation, antecedents |
|-----|--|------------------------|
| 1 | $[\langle \beta, 11_{\top}, 0, -, -, 1]$ | lex-scan |
| 2 | $[\langle \beta, 12_{\top}, 1, -, -, 2]$ | lex-scan |
| ... | | |

Solution

| id | item | operation, antecedents |
|------|---|------------------------|
| 1 | $[\langle \alpha, \varepsilon \rangle \rightarrow \bullet \langle \alpha, 1 \rangle, 2, -, -, 2]$ | axiom |
| 2 | $[\langle \beta, \varepsilon \rangle \rightarrow \bullet \langle \beta, 1 \rangle \langle \beta, 2 \rangle \langle \beta, 3 \rangle, 0, -, -, 0]$ | axiom |
| 3 | $[\langle \alpha, \varepsilon \rangle \rightarrow \langle \alpha, 1 \rangle \bullet, 2, -, -, 3]$ | lex-scan 1 |
| 4 | $[\langle \beta, \varepsilon \rangle \rightarrow \langle \beta, 1 \rangle \bullet \langle \beta, 2 \rangle \langle \beta, 3 \rangle, 0, -, -, 1]$ | lex-scan 2 |
| 1. 5 | $[\langle \alpha, \varepsilon \rangle_{\perp}, 2, -, -, 3]$ | convert 3 |
| 6 | $[\langle \beta, \varepsilon \rangle \rightarrow \langle \beta, 1 \rangle \langle \beta, 2 \rangle \bullet \langle \beta, 3 \rangle, 0, -, -, 2]$ | lex-scan 4 |
| 7 | $[\langle \beta, \varepsilon \rangle \rightarrow \langle \beta, 1 \rangle \langle \beta, 2 \rangle \langle \beta, 3 \rangle \bullet, 0, 2, 3, 3]$ | foot adjunction 6, 5 |
| 8 | $[\langle \beta, \varepsilon \rangle_{\perp}, 0, 2, 3, 3]$ | convert 7 |
| 9 | $[\langle \beta, \varepsilon \rangle_{\top}, 0, 2, 3, 3]$ | null adjoin 8 |
| 10 | $[\langle \alpha, \varepsilon \rangle_{\top}, 0, -, -, 3]$ | root adjunction 9, 5 |

| id | item | operation, antecedents |
|------|---|------------------------|
| 1 | $[\langle \beta, 11_{\top}, 0, -, -, 1 \rangle]$ | lex-scan |
| 2 | $[\langle \beta, 12_{\top}, 1, -, -, 2 \rangle]$ | lex-scan |
| 3 | $[\langle \alpha, 1_{\top}, 2, -, -, 3 \rangle]$ | lex-scan |
| 4 | $[\langle \beta, 2_{\top}, 2, 2, 3, 3 \rangle]$ | foot-predict |
| 2. 5 | $[\langle \beta, 1_{\perp}, 0, -, -, 2 \rangle]$ | move-binary 1, 2 |
| 6 | $[\langle \alpha, \varepsilon_{\perp}, 2, -, -, 3 \rangle]$ | move-unary |
| 7 | $[\langle \beta, 1_{\top}, 0, -, -, 2 \rangle]$ | null-adjoin 5 |
| 8 | $[\langle \beta, \varepsilon_{\perp}, 0, 2, 3, 3 \rangle]$ | move-binary 7,4 |
| 9 | $[\langle \beta, \varepsilon_{\top}, 0, 2, 3, 3 \rangle]$ | null-adjoin 9 |
| 10 | $[\langle \alpha, \varepsilon_{\top}, 0, -, -, 3 \rangle]$ | adjoin 6,9 |

Question 2 We could also modify the dotted production parser towards a left-corner parser. Idea: Instead of blindly predicting every item $[v \rightarrow \bullet \gamma, i, -, -, i]$, we predict a production only when the left corner has been found.

The items would have the same format as in the dotted production CYK, the goal items would also be the same, and all rules except **lex-scan**, **eps-scan** and **axioms** would stay the same.

New rules:

$$\text{Lex-scan: } \frac{}{[v_{\top}, i, -, -, i+1]} \quad l(v) = w_{i+1} \qquad \text{Eps-scan: } \frac{}{[v_{\top}, i, -, -, i]} \quad l(v) = \varepsilon$$

Old rules that do not change:

$$\text{Convert: } \frac{[v \rightarrow \gamma \bullet, i, f_1, f_2, j]}{[v_{\perp}, i, f_1, f_2, j]}$$

$$\text{Null-adjoin: } \frac{[v_{\perp}, i, f_1, f_2, j]}{[v_{\top}, i, f_1, f_2, j]} \quad f_{OA}(v) = 0$$

$$\text{Move right: } \frac{[v \rightarrow \gamma_1 \bullet w \gamma_2, i, f_1, f_2, j], [w_{\top}, j, f_3, f_4, k]}{[v \rightarrow \gamma_1 w \bullet \gamma_2, i, f_1 \oplus f_3, f_2 \oplus f_4, k]}$$

$$\text{Substitute: } \frac{[v \rightarrow \gamma_1 \bullet w \gamma_2, i, f_1, f_2, j], [u, \top, j, -, -, k]}{[v \rightarrow \gamma_1 w \bullet \gamma_2, i, f_1, f_2, k]} \quad \begin{array}{l} l(w) = l(u), \\ \text{root}(u), \\ w \text{ substitution node} \end{array}$$

$$\text{Foot adjunction: } \frac{[v \rightarrow \gamma_1 \bullet w \gamma_2, i, -, -, j], [u_{\perp}, j, f_1, f_2, k]}{[v \rightarrow \gamma_1 w \bullet \gamma_2, i, j, k, k]} \quad \begin{array}{l} l(w) = l(u), \text{foot}(w), \\ \text{adj. of auxiliary tree} \\ \text{with } w \text{ allowed at } u \end{array}$$

$$\text{Root adjunction: } \frac{[v_{\top}, i, j, k, l], [u, \perp, j, f_1, f_2, k]}{[u_{\top}, i, f_1, f_2, l]} \quad \begin{array}{l} l(v) = l(u), \text{root}(v), \\ \text{adj. of auxiliary tree} \\ \text{with } v \text{ allowed at } u \end{array}$$

In addition, we need a new rule **Left-corner-predict** that starts a rule once its left corner (i.e., its first lefthand side element) has been found. It replaces the former blind predictions done in **axioms**. How should this rule look like?

Solution:

$$\text{Left-corner-predict: } \frac{[u_{\top}, i, f_1, f_2, j]}{[v \rightarrow u \bullet \gamma, i, f_1, f_2, j]} \quad v \rightarrow u \gamma \text{ is a rule}$$